

Thin lens or general system $\phi = \frac{1}{f}$	Focal Lengths $f'_R = n'f \quad f_F = -nf$
Single surface $\phi = \frac{n' - n}{R}$	Total power of two elements $\phi = \phi_1 + \phi_2 - \left(\frac{t'_1}{n'_1}\right)\phi_1\phi_2$
Front Principal Plane $\delta = \frac{d}{n} = \frac{\phi_2}{\phi} \left(\frac{t'_1}{n'_1}\right)$	Rear Principal Plane $\delta' = \frac{d'}{n'} = -\frac{\phi_1}{\phi} \left(\frac{t'_1}{n'_1}\right)$
Front Focal Distance $FFD = f_F + d$	Back Focal Distance $BFD = f'_R + d'$
Gaussian Imaging Eq. $\frac{n'}{z'} - \frac{n}{z} = \frac{1}{f}$	Newtonian Imaging Eq. $z_F z'_F = f_F f'_R$
Transverse Magnification $m = \frac{h'}{h} = \frac{nz'}{n'z} = -\frac{z'_F}{f'_R} = -\frac{f_F}{z_F} = \frac{nu}{n'u'}$	Longitudinal Magnification (small shift) $\bar{m} = \frac{n'}{n} m^2$
Nodal Points $z_{PN} = z'_{PN} = f_F + f'_R = (n' - n)f$	Mirrors Thickness and indices switch sign after reflection
Paraxial Refraction (Reflection) Equation $n'_j u'_j = n_j u_j - y_j \phi_j$	Paraxial Transfer Equation $y_{j+1} = y_j + n'_j u'_j \frac{t'_j}{n'_j}$