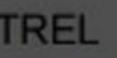
Quantum Communication

OPTI646 (FALL'23)

SUBMITTED BY SIDDHARTH VATS

Why?

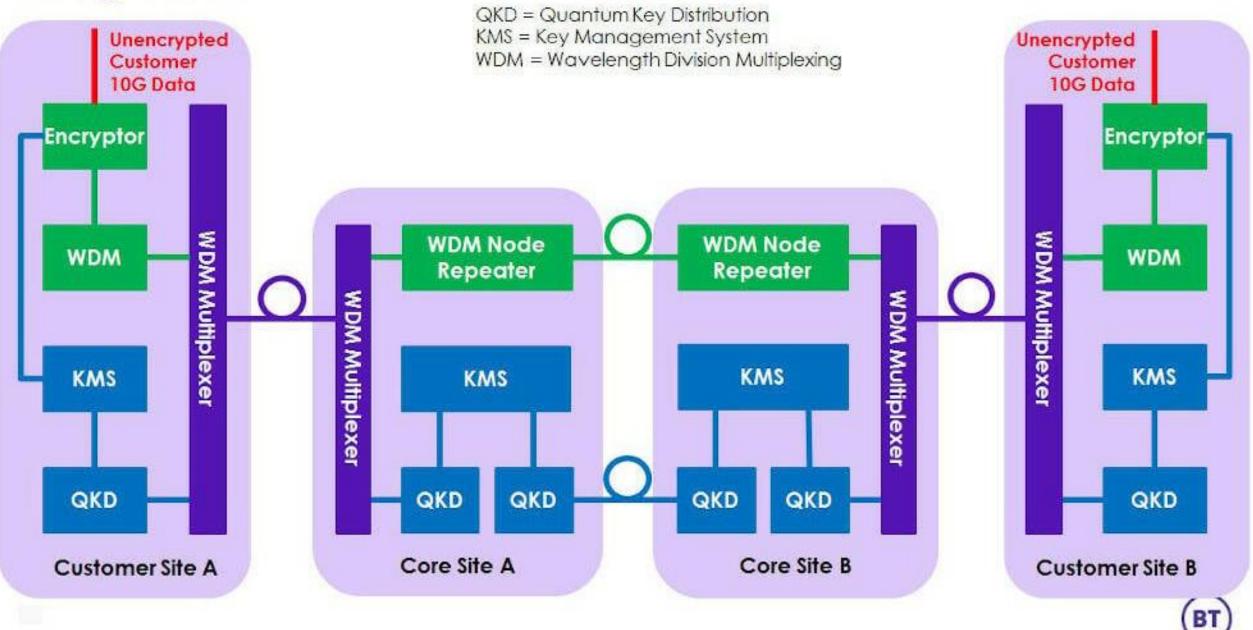
- •Quantum information through a quantum channel •Exchange of quantum information (information processing)
- •Classical information through a quantum channel
 - Quantum key distribution
 - >(Quantum) random number generator Aspect experiment #3
 - Creation of (classical) bit key
 - Encoding onto quantum states
 - ➤Quantum communication
 - ≻decoding



Testbed 1: London MAN

Toshiba (technology) and British Telecom (infrastructure) First commercially available QKD as a service Store now-crack later: loss of confidence in convention data security Quantum and classical channel Short distance links: no repeaters Decoy states

Design Details



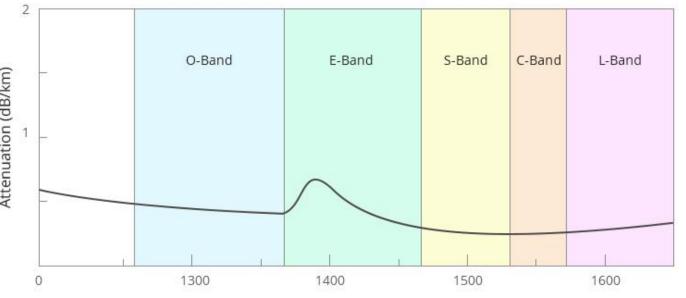
Coexistence with telecom

- •Inherently incompatible with classical amplifiers \circ {reason}

Decoy states

- Scattering (Raman and Rayleigh)

 Reduce power of classical signal
 isolate quantum signal > 200nm
 (O and C band)
 Time slotting (compatible with PON)
 - \odot Separate fibre/ core
 - $\odot\,\text{Hollow}$ core fibre



Wavelength (nm)

Beijing

Testbed 2: Great China Network

Xuecheng O

4 QMAN connected through optical and satellite communication links through a 4600km long Hefei network Dezhou

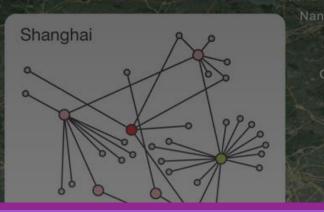
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- Micius: satellite communication
- Layered quantum network architecture

0

- Key management system
- Trusted node

Nanshan -



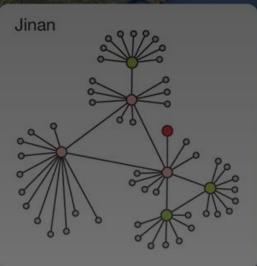


Danvang

Changzhou O

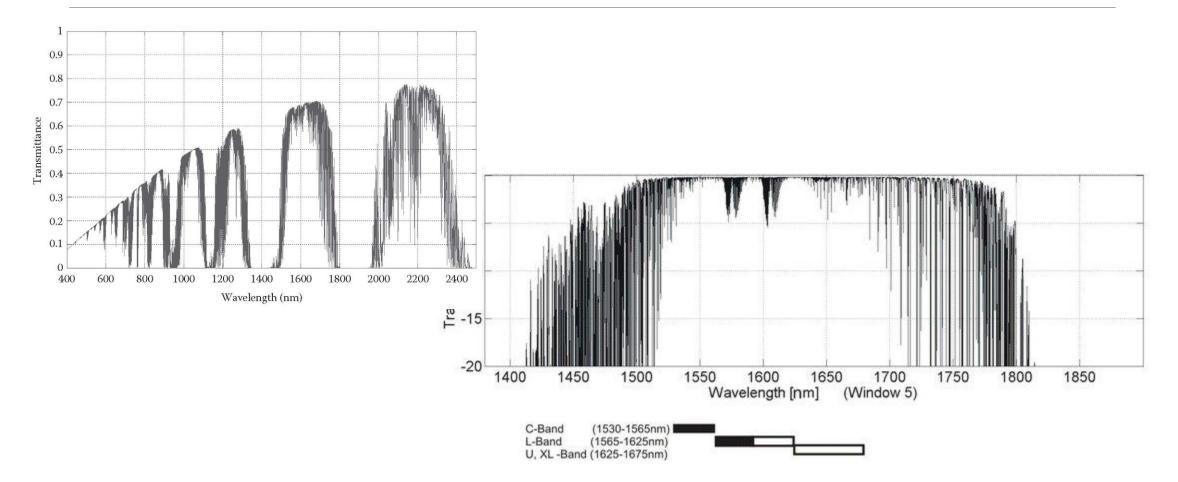
Shanghai

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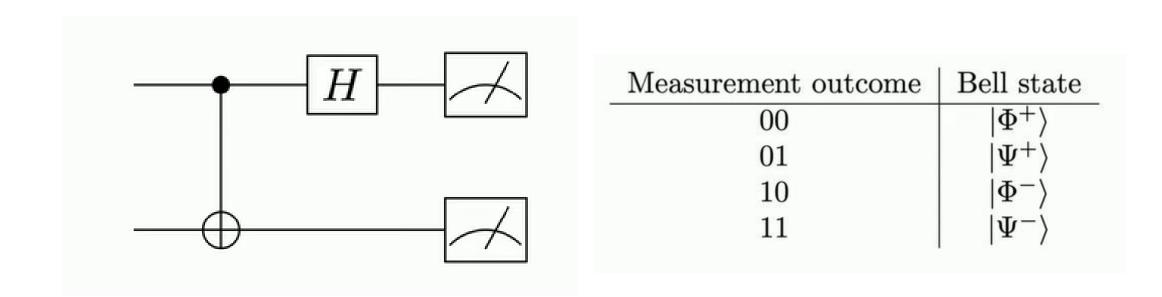


Trusted relay

Atmospheric Transmission

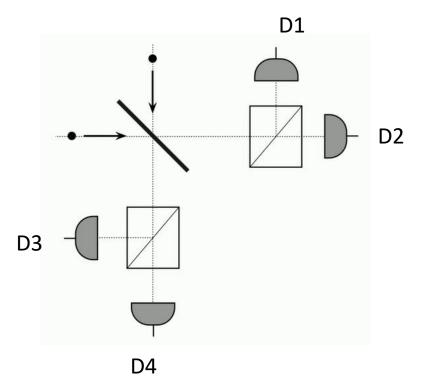


Bell State Measurement



Bell State Measurement

$$\begin{split} |\Phi^+\rangle &= \frac{1}{\sqrt{2}}(|00\rangle + |11\rangle) \\ |\Phi^-\rangle &= \frac{1}{\sqrt{2}}(|00\rangle - |11\rangle) \\ |\Psi^+\rangle &= \frac{1}{\sqrt{2}}(|01\rangle + |10\rangle) \\ |\Psi^-\rangle &= \frac{1}{\sqrt{2}}(|01\rangle - |10\rangle) \end{split}$$



Repeaters

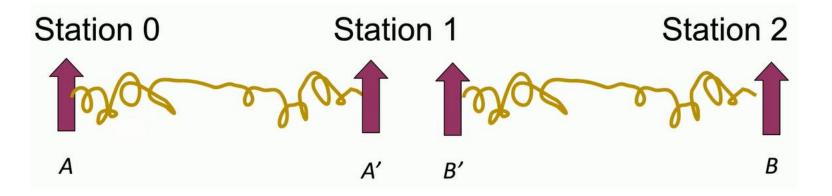
Quantum to classical to quantum conversion (trusted node)

•OR

•Quantum entanglement swapping (quantum repeater) •Quantum Memory: time & fidelity

•OR

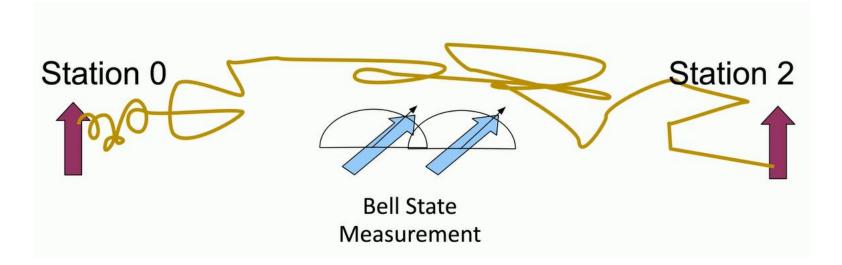
•Error correction (quantum repeater)



$$|00\rangle = (|\Phi^+\rangle + |\Phi^-\rangle)/\sqrt{2}$$
$$|01\rangle = (|\Psi^+\rangle + |\Psi^-\rangle)/\sqrt{2}$$
$$|10\rangle = (|\Psi^+\rangle - |\Psi^-\rangle)/\sqrt{2}$$
$$|11\rangle = (|\Phi^+\rangle - |\Phi^-\rangle)/\sqrt{2}$$

$$\begin{split} |\psi\rangle &= \left|\Phi^{+}\right\rangle_{AA'} \left|\Phi+\right\rangle_{B'B} \\ &= \frac{1}{2} \left(\left|0000\right\rangle + \left|0011\right\rangle + \left|1100\right\rangle + \left|1111\right\rangle\right) \\ &= \frac{1}{2\sqrt{2}} \left(\left|0\right\rangle \left(\left|\Phi^{+}\right\rangle + \left|\Phi^{-}\right\rangle\right) \left|0\right\rangle \\ &+ \quad \left|0\right\rangle \left(\left|\Psi^{+}\right\rangle + \left|\Psi^{-}\right\rangle\right) \left|1\right\rangle \\ &+ \quad \left|1\right\rangle \left(\left|\Psi^{+}\right\rangle - \left|\Psi^{-}\right\rangle\right) \left|0\right\rangle \\ &+ \quad \left|1\right\rangle \left(\left|\Phi^{+}\right\rangle - \left|\Phi^{-}\right\rangle\right) \left|1\right\rangle\right) \end{split}$$

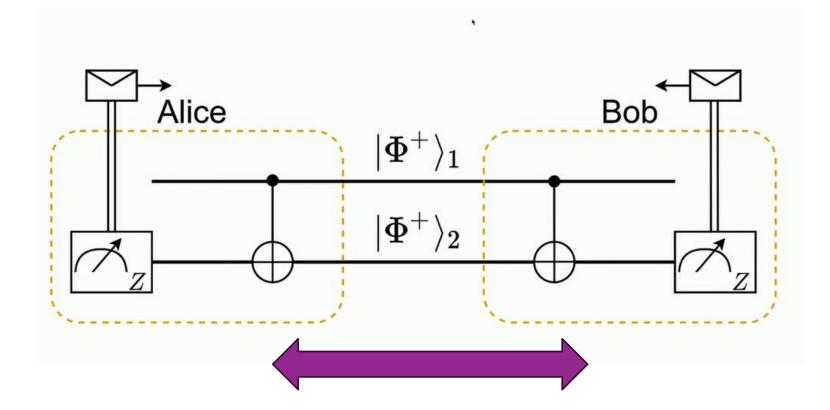
$$\begin{split} |\psi\rangle_{A'B'AB} &= \frac{1}{2\sqrt{2}} \left(\left| \Phi^{+} \right\rangle \left(\left| 0 \right\rangle \left| 0 \right\rangle + \left| 1 \right\rangle \left| 1 \right\rangle \right) \right. \\ &+ \left| \Psi^{+} \right\rangle \left(\left| 0 \right\rangle \left| 1 \right\rangle + \left| 1 \right\rangle \left| 0 \right\rangle \right) \\ &+ \left| \Psi^{-} \right\rangle \left(\left| 0 \right\rangle \left| 1 \right\rangle - \left| 1 \right\rangle \left| 0 \right\rangle \right) \\ &+ \left| \Phi^{-} \right\rangle \left(\left| 0 \right\rangle \left| 0 \right\rangle - \left| 1 \right\rangle \left| 1 \right\rangle \right) \right) \end{split}$$



Purification

$$\begin{split} \left| \Phi^{+} \right\rangle_{1} \left| \Phi^{+} \right\rangle_{2} = (\left| 00 \right\rangle + \left| 11 \right\rangle) (\left| 00 \right\rangle + \left| 11 \right\rangle) \\ = \left| 00 \right\rangle \left| 00 \right\rangle + \left| 00 \right\rangle \left| 11 \right\rangle + \left| 11 \right\rangle \left| 00 \right\rangle + \left| 11 \right\rangle \left| 11 \right\rangle \\ \frac{\text{CNOT}_{A}}{\longrightarrow} \left| 00 \right\rangle \left| 00 \right\rangle + \left| 00 \right\rangle \left| 11 \right\rangle + \left| 11 \right\rangle \left| 10 \right\rangle + \left| 11 \right\rangle \left| 10 \right\rangle \\ \frac{\text{CNOT}_{B}}{\longrightarrow} \left| 00 \right\rangle \left| 00 \right\rangle + \left| 00 \right\rangle \left| 11 \right\rangle + \left| 11 \right\rangle \left| 00 \right\rangle + \left| 11 \right\rangle \left| 11 \right\rangle \\ = \left| \Phi^{+} \right\rangle_{1} \left| \Phi^{+} \right\rangle_{2} \end{split}$$

Purification



Purification

Pair 1	Pair 2	Prob.	Meas. Result	Agree?	Action	Result
$ \Phi^+\rangle$	$ \Phi^+ angle$	F^2	00 or 11	Y	Keep	$ \Phi^+\rangle$
$ \Phi^+\rangle$	$ \Psi^+ angle$	F(1-F)	01 or 10	Ν	Discard	
$ \Psi^+\rangle$	$ \Phi^+ angle$	F(1-F)	01 or 10	Ν	Discard	
$ \Psi^+ angle$	$ \Psi^+ angle$	$(1 - F)^2$	00 or 11	Y	Keep	$ \Psi^+ angle$

Succeeds w/ probability $F^2 + (1-F)^2$

Output fidelity is
$$F' = \frac{F^2}{F^2 + (1 - F)^2}$$

 $F' > F$ when $F > 0.5$

Activate Windows Go to Settings to activate Windows

Requirement of quantum memory: long storage and high fidelityscheduling

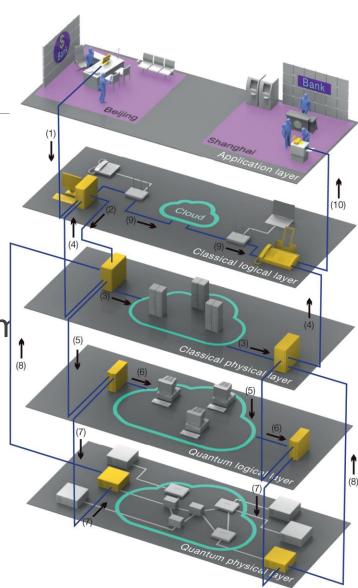
Quantum Network Architecture

•5 layered QKD

Application: quantum protocol
Transport: end-to-end entanglement
Network: entanglement over a route
Link: entanglement over individual links
Physical: generation of physically entangled pairs

Quantum KMS

- •User request for key
- •Request forwarded to KMS
- •Key generation request to quanum server
- Request forwarded to quantum control system
- •Finding the best route for key generation
- •Key generation
- •encryption



Testbed 3: South Korea

ID Quantique (technology) and SK Telecom (infrastructure)

48 sites connected over a 2000km network for QSN

Quantum safe as a service

SDN

BB84

Testbed 4: Spain

Huawei (technology), Telefonica (infrastructure)
Continuous variable

SDN

E.4 Km 7.0+4.0 dB

Continuous Variable

- •Quadrature
- •Measurement
- •Telecom compatible
- •Deterministic (guaranteed signal)

Discrete Variable

•Signal generation (attenuate laser or quantum dot)

•Decoy state: send multiple pulses with multiple photons, if there's an eve, a detection will change the statistics at Bob

detection (photon counter: APD)

- $_{\odot}$ Single/ Dual rail qubit
- Polarization: horizontal/vertical
- \circ Time-bin: early/ late

•Established (some what), benifited by photonic integrated circuits

•Telecom incompatible

- •Not deterministic (photon generation not guaranteed)
- •Key rate: 50,000 256 keys/sec i.e. multiple users can be connected

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