

Object-Image Relationships		6-2	OPTI ©
The purpose of this study is to examine the imaging properties of the general system that has been defined by its Gaussian properties and cardinal points.			-502 Opt Copyrigh
Different combinations of front and rear focal lengths can be studied:			ical Des t 2019
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$f_F > 0$ $f'_R < 0$ Negative Fo	cal System		nstrumer Greivenk
$f_F < 0$ $f'_R < 0$ Positive For	al System; Net Reflective		itation I amp
$f_F > 0$ $f'_R > 0$ Negative Fo	cal System; Net Reflective		College of Optical Science
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Collinear Transformation

A collinear transformation maps points to points, lines to lines, and planes to planes. The general mapping equations associated with a collinear transformation are:

$$\begin{aligned} x' &= \frac{a_1 x + b_1 y + c_1 z + d_1}{a_0 x + b_0 y + c_0 z + d_0} \\ y' &= \frac{a_2 x + b_2 y + c_2 z + d_2}{a_0 x + b_0 y + c_0 z + d_0} \\ z' &= \frac{a_3 x + b_3 y + c_3 z + d_3}{a_0 x + b_0 y + c_0 z + d_0} \end{aligned}$$

By applying the symmetries associated with a rotationally-symmetric system and the definitions of the magnification and the cardinal points, all of the relationships of Gaussian imagery can be derived (for both focal and afocal systems) from these general mapping equations.

These derivations have been prepared by Prof. Roland Shack and are included as Appendix A to these notes.

