1) (10 points) Draw the tunnel diagram for this 45 degree deviation prism with the ray path shown. The tunnel diagram must be drawn to the same scale as the prism drawing.
2) (10 points) Many medium-format digital single lens reflex (DSLR) cameras use an image sensor that is about 2/3 the size of the 35 mm film format. The sensor size is 24 x 16 mm. This is called the APS-C or DX format.

What focal length lens is required to obtain a full field of view of 50º (i.e. +/- 25º)? This FOV corresponds to the 24 mm dimension of the sensor. Assume a distant object.

Focal Length = ________ mm
3) (25 points) An imaging system or objective is comprised of two thin lenses. It is to be used in conjunction with a cube of glass. What is the size of the largest glass cube that will fit between the rear element of this objective and the image plane? Consider that the image is formed on the rear surface of the cube, and the cube is in contact with the rear element of the objective.

Gaussian methods must be used.

Details:

Glass Cube: Index of refraction = 1.6

Objective: Two 40 mm focal length thin lenses (in air) separated by 20 mm

Object: The object is 100 mm to the left of the front element of the objective.

Continues ...
Glass Cube Dimension = __________ mm
4) (15 points) A two-element imaging system is comprised of two thin lenses in air:

\[
\begin{align*}
  f_1 &= -20 \text{ mm} \\
  t_1 &= 10 \text{ mm} \\
  f_2 &= 20 \text{ mm}
\end{align*}
\]

The system stop has a diameter of 10 mm and is located halfway between the first two thin lenses (5 mm behind the first lens). Use Gaussian methods to determine the locations and sizes of the system Entrance and Exit Pupils.

Note: No raytrace analysis is permitted for this problem.

Continues ...
EP:  $D_{EP} = \underline{\text{mm}}$; Located $\underline{\text{mm}}$ to the $\underline{\text{of}}$ the first lens.

XP:  $D_{XP} = \underline{\text{mm}}$; Located $\underline{\text{mm}}$ to the $\underline{\text{of}}$ the second lens.
5) An air-spaced triplet is comprised of three thin lenses in air:

\[ f_1 = -50 \text{ mm} \]
\[ t_1 = 20 \text{ mm} \]
\[ f_2 = 20 \text{ mm} \]
\[ t_2 = 10 \text{ mm} \]
\[ f_3 = -20 \text{ mm} \]

The system stop is located halfway between the first two lenses. The diameter of the stop is 20 mm.

This problem is to be worked using raytrace methods only. Gaussian imaging methods may not be used for any portion of this problem.

For grading purposes, the values for your final rays must be entered into the raytrace sheets that follow. Use the raytrace sheets noted for the marginal ray and the chief ray.

Be sure to clearly label your rays, and note which ray is used to determine each answer.

a) (10 points) Determine the locations of the entrance and exit pupils.

Entrance Pupil: \[ \underline{\quad} \text{ mm to the} \quad \underline{\quad} \text{ of the first lens.} \]

Exit Pupil: \[ \underline{\quad} \text{ mm to the} \quad \underline{\quad} \text{ of the third lens.} \]
b) (10 points) Determine the focal length and back focal distance of this optical system.

\[ f = \_\_\_\_\_\_\_\_\_ \text{ mm} \quad \text{BFD} = \_\_\_\_\_\_\_\_\_ \text{ mm} \]

c) (10 points) Determine the diameters of the Entrance and Exit Pupils.

Entrance Pupil Diameter = \_\_\_\_\_\_\_\_\_ mm

Exit Pupil Diameter = \_\_\_\_\_\_\_\_\_ mm
d) (10 points) The system has a Field of View of +/- 15 degrees. What is the image height corresponding to this FOV?

Image Height = +/- ________ mm
Thin Lens YNU Method
OPTI-502 Equation Sheet
Midterm

OPL = nl

n_1 \sin \theta_1 = n_2 \sin \theta_2

\gamma = 2\alpha

d = t \left( \frac{n - 1}{n} \right) = t - \tau

\phi = (n' - n)C

\frac{n'}{z'} = \frac{n}{z} + \phi

f_E = \frac{1}{\phi} = -\frac{f_E}{n} = \frac{f_R'}{n'}

m = \frac{z'}{n'} = \frac{\omega}{\omega'}

m = \frac{f_{F2}}{f_{R1}} = -\frac{f_2}{f_1}

\bar{m} = \frac{n'}{n} m^2

\frac{\Delta z'/n'}{\Delta z/n} = m_1 m_2

m_N = \frac{n}{n'}

P'N' = PN = f_F + f'_R

\tau = \frac{t}{n}
\omega = nu

\phi = \phi_1 + \phi_2 - \phi_1 \phi_2 \tau

\delta' = \frac{d'}{n'} = -\frac{\phi_1}{\phi} \tau
\text{BFD} = d' + f'_R

\delta = \frac{d}{n} = \frac{\phi_2}{\phi} \tau
\text{FFD} = d + f'_F

\omega' = \omega - y\phi

y' = y + \omega' \tau'

f /# ≡ \frac{f_E}{D_{EP}} \quad \text{NA} ≡ n |\sin U| \approx n |u|

f /#_w ≡ \frac{1}{2NA} \approx \frac{1}{2n |u|} \approx (1 - m) f /#

I = H = n\bar{u}y - nu\bar{y}

\bar{u} = \tan(\theta_{1/2})